# Chart parsing with non-atomic categories

Three options for chart parsing with grammars employing nonatomic categories:

- 1. Expand the grammar into a CFG with atomic categories
- 2. Parse using an atomic CFG backbone with reduced information
- 3. Incorporate special mechanisms into the parser

# Idea 1: Expand the grammar into a CFG with atomic categories

- number of categories grows exponentially, e.g.,  $3^n$  is size of category set with n binary features (plus, minus, unspecified)
- leads to a potentially huge set of rules
- grammar size relevant for time and space efficiency of parsing

# Idea 2: Parse using an atomic CFG backbone with reduced information

• idea:

- parse using a property defined for all categories
- use other properties to filter solutions from set of parses
- downside:
  - parsing with partial information can significantly enlarge the search space

## Idea 3: Incorporate special mechanism into parser

- The equality check used for atomic categories has to be replaced by **unification**.
- Every active and inactive edge in a chart may be used for different uses. So for each time an edge is used, a new **copy** needs to be made.
- Revise the duplication check: only add an edge if it is not **subsumed** by an edge already in the chart.

- Two efficiency issues:
  - intelligent indexing of edges in chart
  - **packing** of similar edges in chart (cf. Tomita parser)

### Earley parser with atomic categories

- Scanning: let  $w_1 \dots w_j \dots w_n$  be the input string for each  $_i[A \rightarrow \alpha \bullet_{j-1} w_j \beta]$  in chart add  $_i[A \rightarrow \alpha w_j \bullet_j \beta]$  to chart

**Completion (fundamental rule of chart parsing):** 

for each 
$$_{i}[A \rightarrow \alpha \bullet_{k} B \beta]$$
 and  $_{k}[B \rightarrow \gamma \bullet_{j}]$  in chart  
add  $_{i}[A \rightarrow \alpha B \bullet_{j} \beta]$  to chart

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### Earley parser with unification

#### **Prediction:**

for each 
$$_i[A \rightarrow \alpha \bullet_j B \beta]$$
 in chart  
for each  $B' \rightarrow \gamma$  in rules  
add  $_j[\sigma(B \rightarrow \bullet_j \gamma)]$  with  $\sigma = mgu(B, B')$  to chart

#### **Completion (fundamental rule of chart parsing):**

for each  $_{i}[A \rightarrow \alpha \bullet_{k} B \beta]$  and  $_{k}[B' \rightarrow \gamma \bullet_{j}]$  in chart add  $_{i}[\sigma(A \rightarrow \alpha B \bullet_{j} \beta)]$  with  $\sigma = mgu(B, B')$  to chart

# Using restriction to prevent prediction loops

- Prediction terminates for grammars with atomic categories, since a new item is only added to the chart if not already there and there is a finite number of atomic categories.
- Moving beyond atomic categories, there can be an infinite number of non-atomic categories.
- Prediction loop on left-recursive rules can be problem again.
- Solution: use **restriction** on prediction substitution to limit to finite number of cases

## An example for a problematic grammar

Shieber/Shabes/Pereira (1994, p. 13): Grammar accepting  $ab^n$  with N being instantiated to the successor representation of n.

$$\mathbf{start} \to \mathbf{r}(0, N)$$
  
 $\mathbf{r}(X, N) \to \mathbf{r}(s(X), N)$  b  
 $\mathbf{r}(N, N) \to \mathbf{a}$ 

Prediction step with unification will loop:

$$\begin{array}{l} {}_{0}[\mathbf{start} \rightarrow \bullet_{0} \mathbf{r}(0, N)] \\ {}_{0}[\mathbf{r}(0, N) \rightarrow \bullet_{0} \mathbf{r}(s(0), N) \mathbf{b}] \\ {}_{0}[\mathbf{r}(s(0), N) \rightarrow \bullet_{0} \mathbf{r}(s(s(0)), N) \mathbf{b}] \\ {}_{0}[\mathbf{r}(s(s(0)), N) \rightarrow \bullet_{0} \mathbf{r}(s(s(s(0))), N) \mathbf{b}] \\ {}_{0}[\mathbf{r}(s(s(0)), N) \rightarrow \bullet_{0} \mathbf{r}(s(s(s(0))), N) \mathbf{b}] \end{array}$$

## **Prediction with restriction**

for each 
$$_{i}[A \rightarrow \alpha \bullet_{j} B \beta]$$
 in chart  
for each  $B' \rightarrow \gamma$  in rules  
add  $_{j}[\sigma(B \rightarrow \bullet_{j} \gamma)]$  with  $\sigma = restriction(mgu(B, B'))$  to chart

- restriction(mgu(B, B')) can be any operation reducing the number of possible substitutions to finite classes:
  - (a) depth bound on term complexity(b) elimination of terms that are known to grow indefinitely(c) use only of selected terms known not to grow indefinitely
- sound since predicted edge only step towards completion!